Math 33A, Sec. 2 – Linear Algebra and Applications

Spring 2012

Instructor:	Professor Alan J. Laub Dept. of Mathematics / Electrical Engineering Math Sciences 7945 phone: 310-825-4245 e-mail: <u>laub@ucla.edu</u>				
Lecture:	MWF 2:00 p.m. – 2:50 p.m.; Rolfe 1200				
Office Hours:	MW noon – 1:00 p.m., AND by appointment				
Teaching Assistants:	Alan P. Mackey, MS 39 Justin Shih, MS 6617F Haokun Xu (office hours to be deter		justinsh	va@math.ucla.edu nih@math.ucla.edu @math.ucla.edu	
Discussion Sessions	2A, 2C, 2E 2B, 2D, 2F	T 2:00 – 2:50 p.m. R 2:00 – 2:50 p.m.			
Reader:	Robert Chen		<u>rr78090</u>)3@ucla.edu	
Prerequisite:	Math 3B or 31B or 32A with a grade of C- or better				
Text:	Gilbert Strang, <i>Introduction to Linear Algebra</i> , Fourth Edition, Wellesley – Cambridge Press, 2009. (Do not buy anything with the name Bretscher on it.)				
Homework:	Assigned approximately weekly (generally due Fridays, in class) Late homework policy: no late homework				
Examinations:	Midterm examination: Friday, May 4, 2012 (2:00 – 2:50 p.m.); Rolfe 1200 Final examination: Tuesday, Jun. 12, 2012 (11:30 a.m. – 2:30 p.m.); Rolfe 1200 Both examinations will be closed-book (with one page, both sides, of "notes"). Calculators, cell phones, etc. are <i>not allowed</i> at any time during the exam. Make-up examination policy: no make-up examinations (in case of a medical emergency, you must contact the instructor <i>before</i> the exam and schedule your oral exam; be prepared to provide a doctor's note)				
Grade:	Homework: 15%	Midterm: 35%		Final: 50%	

Tentative Outline

Date Topic

Apr. 2	course logistics and motivation		
Apr. 4	vectors and linear combinations; dot products		
Apr. 6	matrices and linear equations; determinants		
Apr. 9	Gaussian elimination and its matrix interpretation		
Apr. 11	inverse matrices; matrix algebra		
Apr. 13	elimination = factorization; (P)A=LU		
Apr. 16	subspaces, linear independence, bases, dimension		
Apr. 18	the four fundamental subspaces		
Apr. 20	bases for the range and nullspace		
Apr. 23	fundamental theorem of linear algebra		
Apr. 25	row reduced echelon form; rank of a matrix		
Apr. 27	orthogonality of the four fundamental subspaces; orthonormality		
Apr. 30	pseudoinverse of a matrix		
May 2	orthogonal matrices and projections		
May 4	midterm examination		
May 7	linear least squares; normal equations		
May 9	QR factorization; QA=R		
May 11	computation of QR factorization via Householder reflectors		
May 14	the Gram-Schmidt process		
May 16	eigenvalues and eigenvectors		
May 18	(cont'd)		
May 21	similarity, diagonalization		
May 23	application to solving continuous-time and discrete-time systems		
May 25	(cont'd)		
May 30	symmetric matrices		
Jun. 1	positive definite matrices; tests for p.d. matrices		
Jun. 4	the singular value decomposition and its applications		
Jun. 6	(cont'd)		
Jun. 8	review		
Jun. 12	final examination		