

Math 155, Spring, Vese

Final exam: Friday, June 11, 1pm.

Review lecture: Wednesday, June 9, 1-1.50pm

Additional office hours: Thursday, June 10, 2-3pm, MS 7620-D.

Sections covered for the final exam:

- all sections covered for the midterm exam

and

- Sections 5.1, 5.2, 5.3, 5.4, 5.5, 5.6, 5.7, 5.8, 5.9, 5.10, 5.11

- Sections 6.2.1, 6.2.3, 6.4, 6.5.1, 6.5.5, 6.6, 6.7.3

- Sections 10.1, 10.2.1, 10.2.2

Note that you may expect more questions from Chapters 5, 6 and 10, and fewer questions from Chapters 1-4.

Sample theory questions (but not limited to this list):

- What is the definition of
 - the arithmetic mean filter ?
 - the geometric mean filter ?
 - the harmonic mean filter ?
 - the contraharmonic mean filter ?
 - the median filter ?
 - the max and mean filters ?
 - the midpoint filter ?
 - the alpha-trimmed mean filter ?
- Give the main steps of an adaptive, local noise reduction filter ? (explain).
- bullet* What is the goal of a bandreject filter for periodic noise reduction ? Give an example. What is the goal of a bandpass filter ? Give an example.
 - Explain the optimum notch filtering technique.
 - Give the definition of a unite impulse, located at coordinates (x, y) .
 - Show that, if $g(x, y) = H[f(x, y)]$, with H linear, position invariant, and extending the additivity property to integrals, then H is given by a convolution with the function f .
 - Show in continuous variables that the Fourier transform of

$$f(x, y)e^{2\pi i(u_0x+v_0y)}$$

is given by $F(u - u_0, v - v_0)$, where $F(u, v)$ is the Fourier transform of $f(x, y)$.

- Consider the motion degradation function

$$g(x, y) = \int_0^T f[x - x_0(t), y - y_0(t)] dt.$$

Find $H(u, v)$ such that $G(u, v) = H(u, v)F(u, v)$, where G and F are the Fourier transforms of g, f , respectively (show the details of the derivation).

- Give an example of histogram equalization for color images.
- How can you obtain a sharper image using the Laplacian, for a color image in the *RGB* mode ?
- Give an example of mask w that can be used to detect
 - a light point on a constant dark background (explain)
 - a light vertical line on a constant dark background (explain)
- How can you detect edges uses the gradient $\nabla^2 f$ of an image $f(x, y)$?

Give an example of approximation to the gradient.

- Give the main steps of the zero-crossings method for edge detection.
- Recall the definition in continuous variables of the convolution

$$f(x, y) * g(x, y).$$

- Show that $\nabla^2(f * g) = f * (\nabla^2 g)$ at (x, y) , where ∇^2 denotes the Laplace operator in (x, y) .

See additional problems and exercises from the textbook.