

# Spatial Simulation of Chaparral Plants with Frequent Wildfire

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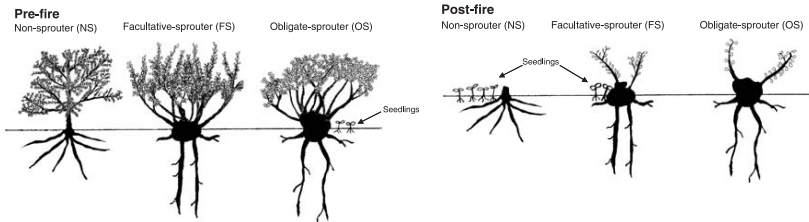
July 16, 2012

# Chaparral Vegetation and Fire Frequency in the SMM

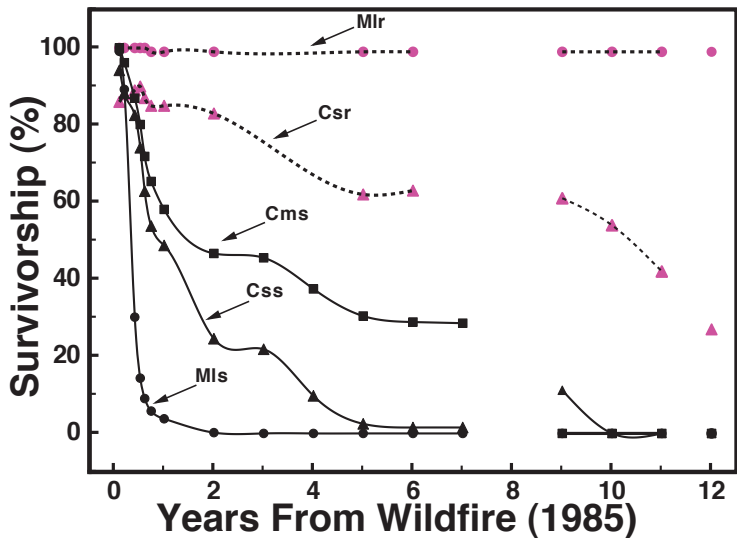
- Chaparral shrubs represent the dominant vegetation type in the Santa Monica Mountains (SMM).
- The deep roots of chaparral shrubs are responsible for keeping the hillside in tact.
- Recent increase in fire frequency in the SMM
  - Santa Monica Mountains, 1925-2001:  
Average time between fire was 32 years
  - Malibu Study Site, 1985-2011:  
Average Time Between Fire was just over 6 years
- Frequent wildfires have altered plant community structure.
  - Localized extinction of particular chaparral species.
  - Invasion of exotic grasses that increase flammability.
- Reduction in vegetation cover leads to decrease in slope stability, e.g erosion, mudslides.

# Three Life History Types

- (NS) Nonsprouters are completely killed by fire and reproduce by seeds that germinate in response to fire cues.
- (OS) Obligate sprouters are not completely destroyed by fire but resprout from the root crown. OS recruit seedlings in the shade between wildfires because seeds are destroyed by fires.
- (FS) Facultative sprouters both resprout and reproduce by seeds that germinate in response to fire cues.



# Species Survivorship Data



# Changing Landscape

Comparison of frequently and non-frequently burned sites.

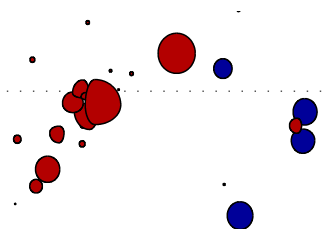


# Simulation Goals

Goal: Model individual plants on a preset grid.

Plant attributes:

- Size (Height and crown size)
- Reproduction by seeds and/or resprouting
- Response to wildfires



Variables to consider:

- Annual rainfall and effect on plant growth
- Seed dispersal and germination
- Seedling survival and time to reproductive maturation
- Fire return intervals

# Simulating Fire Return Intervals

## Poisson Distribution

$$f(k; \lambda) = \frac{\lambda^k e^{-\lambda}}{k!}$$

### Pros

- Easy to estimate  $\lambda$ .
- Discrete

### Cons

- Rigid distribution

## Weibull Distribution

$$f(x; \beta, \eta) = \frac{\beta}{\eta} \left(\frac{x}{\eta}\right)^{\beta-1} e^{-(x/\eta)^\beta}$$

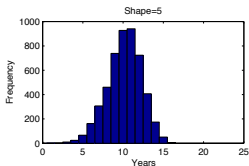
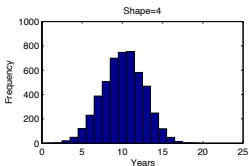
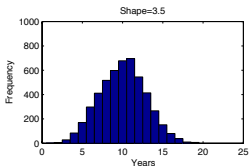
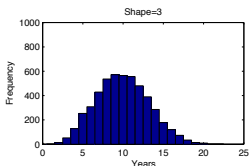
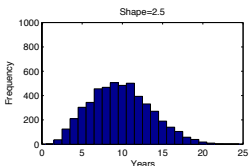
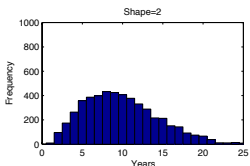
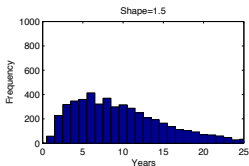
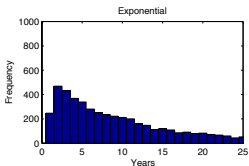
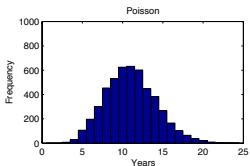
### Pros

- Aging Effect/Build up
- Flexible

### Cons

- Difficult to estimate  $\beta, \eta$ .

# Comparing Distributions

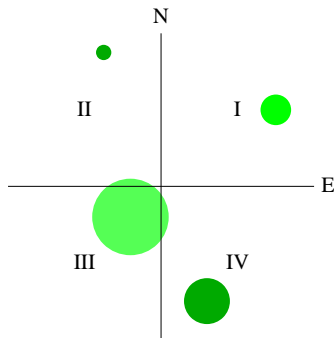




# Field Work

## Point Quarter Sampling Method

- 32 poles are laid out on a  $4 \times 8$  grid, placed 10m apart.
- Meter stick is placed at each pole oriented N-S, another stick is laid perpendicular creating 4 quadrants.
- Classified closest plant to pole in each quadrant based on location of base.
- Measured distance to pole, height, crown diameter, and base diameter.
- Inspiration for how we will arrange the plants in our simulation.



# Field Work



# Analysis of Point Quarter Data from 1985-2012

Used sampling data to estimate information about rest of site

- Frequency of a species
- Density of a species
- Crown and Basal Dominance

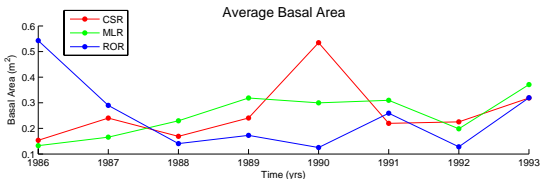
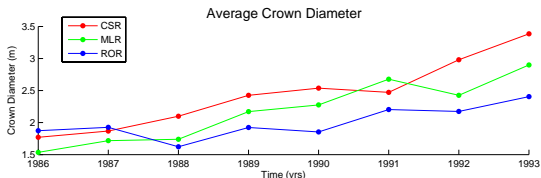
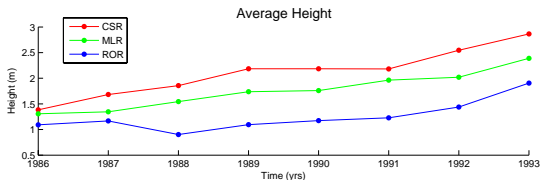
Gaining context from taking data ourselves

- Height is most accurate measurement.
- Basal diameter is difficult to measure for resprouts, since it is hard to separate plant bases.
- Able to make judgement calls when working with growth curves and interpreting data.
- Understanding the shape of plants, plant collisions, species dominance.

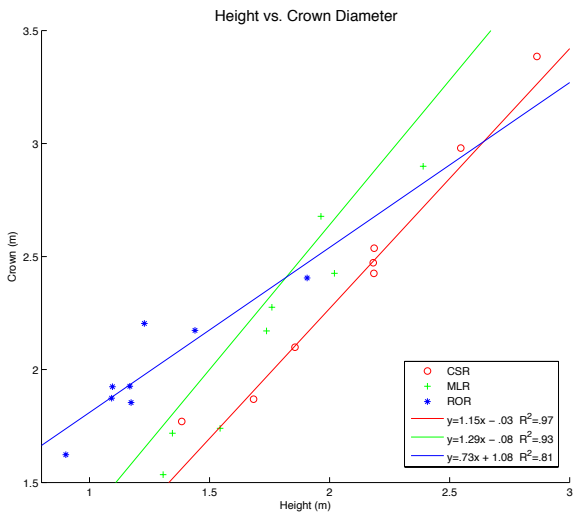
# Measurements



# Yearly Growth Averages (1985-1993)

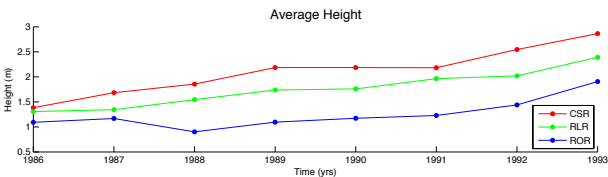
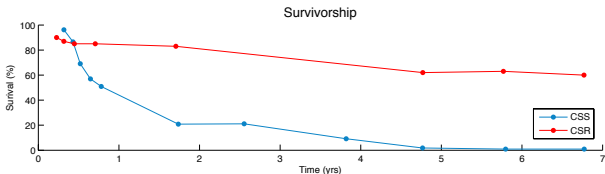
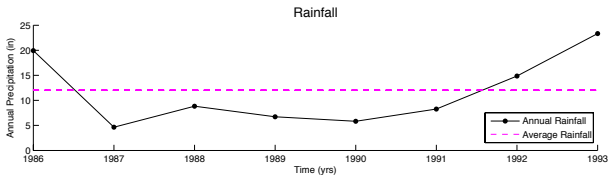


# Correlation Between Height and Crown Size



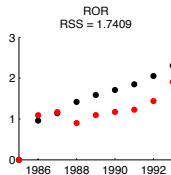
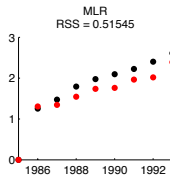
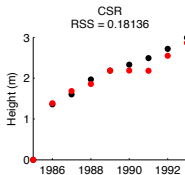
Based on average values from years 1986-1993

# Correlation with Rainfall

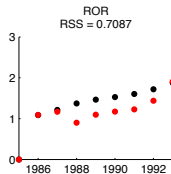
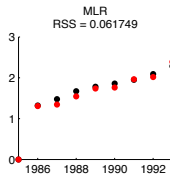
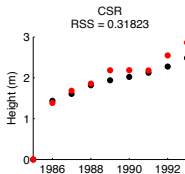


# Estimating Change in Height (1985-1993)

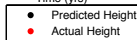
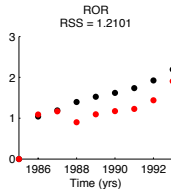
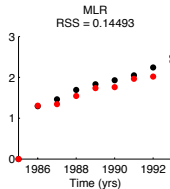
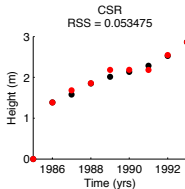
$$\Delta h(w, t) = awe^{-bt}$$



$$\Delta h(w, t) = \frac{aw}{t}$$



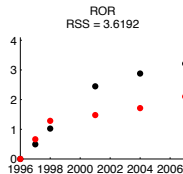
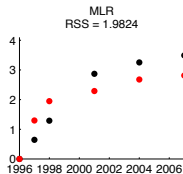
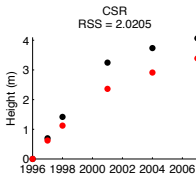
$$\Delta h(w, t) = \frac{aw}{t^b}$$



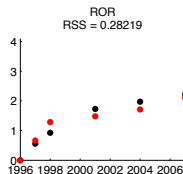
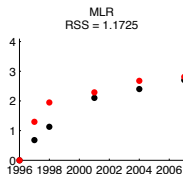
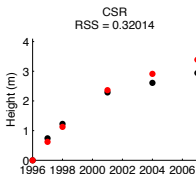


# Projecting Change in Height (1996-2007)

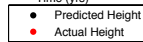
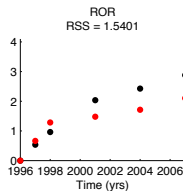
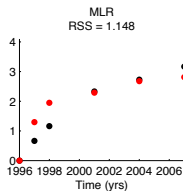
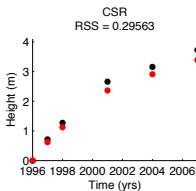
$$\Delta h(w, t) = awe^{-bt}$$



$$\Delta h(w, t) = \frac{aw}{t}$$



$$\Delta h(w, t) = \frac{aw}{t^b}$$



# Resources